

Ship replacement decision: A comparative study

Farraj Aldaihani¹, Jasem Alrajhi², Mohsen Alardhi³

^{1,2,3}Automotive & Marine Engineering Technology Department College of Technological Studies, PAAET (Public Authority for Applied Education & Training) -Kuwait

ABSTRACT

Scrap and operation research models are the main models for optimising ship replacement decisions. The scrap models optimise time or ageto waste the shipout of service. The scrap models compare the costs or profits during finite or infinite planning horizons and determine the time or the age that optimises the replacement decision. Operation research models compare the sequences of decisions during finite horizons and determine the sequence of decisions that maximises profit or minimises cost. Dynamic programming is the technique that dominates operation research (OR)models to optimise the replacement decision.

INTRODUCTION

Ship replacement decisions are critical decisions that managers must grapple with in intensive ship companies [1]. The ship replacement decision is not a simple matter but a complex process that needs to be optimised to achieve excellence in management and improve the companies' objectives[2]. The literature found four main mathematical models, each with a unique approach crucial in optimising ship replacement decisions. The first type is the model that uses economic life [3], the second is the model that uses age replacement [4], the third is the model that uses repair limits [5], and the fourth is the model that usesoperation research[6]. This study investigates and categorises the main mathematical models to optimise the ship replacement decision.

1. Scrap models

The scrap models compared the costs or profits during finite or infinite planning horizons and determined the time or the age that optimises the replacement decision[7].

2-1: Economic life

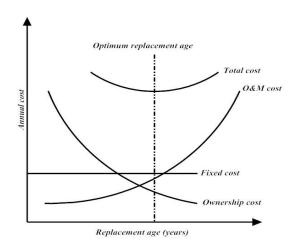


Figure 1: Economic life replacement

The first to develop an economic life model to optimise the replacement decision was [3]. The economic life model assumes that ship deterioration is measured by increased operation and maintenance costs[4]. Finally, the operation and maintenance costs will reach when it becomes economically justifiable to replace the ships. The economic life optimal replacement decision is the one that minimises the total discounted costs derived from the operation, maintenance, disposal[8].



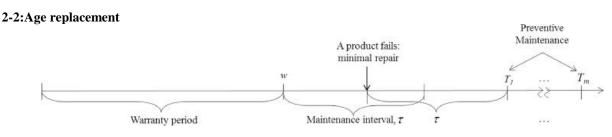


Figure 2: Age replacement

[4]Produced the age-replacement model. Since failure is unexpected, the age replacement model assumes that failure costsexceed preventive replacement costs. To reduce the costs of failures, a ship's preventive replacements are scheduled at a specific age[9]. Preventive replacement occurs when the ship has been used for a particular period of failures. When a failure occurs, the time is reset to zero [10]. The age replacement model balances the cost of the preventive replacements against their benefits, and this is done by determining the optimal preventive replacement age for the ship to minimise the total expected cost of replacements per unit of time[11].

2-3: Repair limits

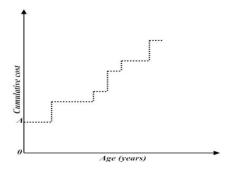


Figure 3: Repair limits

[5]The first developed a repair limits model to optimise the replacement decision. Aside from the running costs, the cumulative cost of purchasing and maintaining a ship varies with the ship's age, as shown schematically inFigure 3[12]. (0 to A) represents the acquisition cost, and the remainder of the curve rises in steps as repair costs occur in discrete amounts at discrete intervals. Repair costs are a function of one variable: the ship's age. The average cost per year up to ageis given by dividing thecumulative costby the ship's age.

2. Operation Research

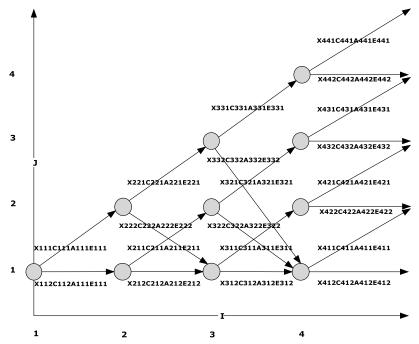


Figure 4: Operation research



Operation research models compare the sequences of decisions during finite horizons[13], and determine the sequence of decisions that maximises profit or minimises cost.Dynamic programming is the technique that dominates operation research (OR)models to optimise the replacement decision[6].

Dynamic programming

Dynamic programming provides a systematic procedure for determining the optimal sequence of decisions[14]. In most cases, dynamic programming obtains the optimal sequence of decisions by propagating backwards through the replacement decision's network, thus breaking up large sequences of decisions into more miniature tractable stages[15]. After the resolution of each stage, the optimum sequence of decisions can be achieved through the state variables. The state variables represent the links between stages, allowing one to take the optimum sequence of decisions for the remaining stages without checking the effect of future decisions or decisions previously made. In other words, dynamic programming is based on a multistage decision process where a decision at one stage will affect the decisions at subsequent stages[16]. In contrast to other mathematical techniques, there is no standard mathematical formulation for optimising the replacement decision by dynamic programming. However, it is a general strategy for optimisation rather than a specific set of rules; consequently, the equationsare developed to fit each formulation[17].

CONCLUSION

The scrap models compared the costs or profits during finite or infinite planning horizons anddetermined the decision that optimises the time or the age. The scrap models on contribute to improving organisations' objectives but optimise time or ageto waste the shipout-of-service[18][5]. The mainshortcomings in scrap models include optimising the replacement decision to achieve a single objective and neglecting the change in objectives' coefficients in the future[9]. Multi-objective optimisation and fuzzy sets theory are the main methods for treating theseshortcomings. Multi-objective optimisation uses the concept of domination to determine the efficient solution which achieves a multi-objective[19]. The fuzzy sets theory introduced by [20] is equivalent to multivariable sensitivity analysis and determines the objectives' coefficient range due to uncertainty in the future [21]. Some operation research models address these shortcomings[22].

REFERENCES

- [1]. M. A. Wijsmuller, "Investment and replacement analysis in shipping," International shipbuilding progress, vol. 26, no. 294, pp. 32–43, 1979.
- [2]. G. Pantuso, K. Fagerholt, and L. M. Hvattum, "A survey on maritime fleet size and mix problems," Eur J Oper Res, vol. 235, no. 2, pp. 341–349, 2014.
- [3]. J. C. R. Clapham, "Economic Life of Equipment," OR, vol. 8, no. 4, pp. 181–190, 1957.
- [4]. R. Barlow and L. Hunter, "Optimum preventive maintenance policies," Oper Res, vol. 8, no. 1, pp. 90–100, 1960.
- [5]. R. W. Drinkwater and N. A. J. Hastings, "An economic replacement model," Journal of the Operational Research Society, vol. 18, no. 2, pp. 121–138, 1967.
- [6]. J. C. Hartman and J. Rogers, "Dynamic programming approaches for equipment replacement problems with continuous and discontinuous technological change," IMA Journal of Management Mathematics, vol. 17, no. 2, pp. 143–158, 2006.
- [7]. P. A. Scarf and A. H. Christer, "Applications of capital replacement models with finite planning horizons," International Journal of Technology Management, vol. 13, no. 1, pp. 25–36, 1997.
- [8]. D. G. Woodward, "Life cycle costing—Theory, information acquisition and application," International journal of project management, vol. 15, no. 6, pp. 335–344, 1997.
- [9]. Y. Alhouli, Development of ship maintenance performance measurement framework to assess the decision making process to optimise in ship maintenance planning. The University of Manchester (United Kingdom), 2011.
- [10]. X. Zhao and T. Nakagawa, "Optimization problems of replacement first or last in reliability theory," Eur J Oper Res, vol. 223, no. 1, pp. 141–149, 2012.
- [11]. A. B. M. Z. Kabir and A. S. Al-Olayan, "A stocking policy for spare part provisioning under age based preventive replacement," Eur J Oper Res, vol. 90, no. 1, pp. 171–181, 1996.
- [12]. V. Dlugokecki, D. Fanguy, L. Hepinstall, and M. Tedesco, "Reducing the Cost of Ship Maintenance and Repair," in SNAME Maritime Convention, SNAME, 2014, p. D021S004R008.
- [13]. S. Sethi and G. Sorger, "A theory of rolling horizon decision making," Ann Oper Res, vol. 29, no. 1, pp. 387– 415, 1991.
- [14]. E. M. Ellaimony, H. A. Abdelwali, J. M. Al-Rajhi, M. S. Al-Ardhi, and Y. M. Alhouli, "Solution of a class of bicriteria multistage transportation problem using dynamic programming technique," International Journal of Traffic and Transportation Engineering, vol. 4, no. 4, pp. 115–122, 2015.
- [15]. J. Rust, "Dynamic programming," The new Palgrave dictionary of economics, vol. 1, p. 8, 2008.
- [16]. M. F. Bach, Dynamic programming of economic decisions, vol. 9. Springer Science & Business Media, 2013.



- [17]. M. L. Puterman, Markov decision processes: discrete stochastic dynamic programming. John Wiley & Sons, 2014.
- [18]. J. C. R. Clapham, "Economic Life of Equipment," OR, vol. 8, no. 4, pp. 181–190, 1957.
- [19]. K. Deb, "Solving goal programming problems using multi-objective genetic algorithms," in Proceedings of the 1999 Congress on Evolutionary Computation-CEC99 (Cat. No. 99TH8406), IEEE, 1999, pp. 77–84.
- [20]. L. A. Zadeh, "Fuzzy sets," Information and control, vol. 8, no. 3, pp. 338–353, 1965.
- [21]. A. O. Esogbue and W. E. Hearnes, "On replacement models via a fuzzy set theoretic framework," IEEE Transactions on Systems, Man, and Cybernetics, Part C (Applications and Reviews), vol. 28, no. 4, pp. 549–560, 1998.
- [22]. I. A. Elsayed Ellaimony, K. Abdelwahed, R. Ahmed, and M. Khalil, "Solving the Transshipment Problem with Fuzzy Cost Coefficients," 2024.